

Constraining Dark Matter Properties with Fermi-LAT

based on NB and S. Palomares-Ruiz
ArXiv:1006.0477

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Bad Honnef, October 7th, 2010

Gamma-rays: general features

The differential intensity of the DM gamma-ray signal

$$\frac{d\Phi_\gamma}{dE_\gamma}(E_\gamma, \Delta\Omega) = \left(\frac{d\Phi_\gamma}{dE_\gamma}\right)_{\text{prompt}}(E_\gamma, \Delta\Omega) + \left(\frac{d\Phi_\gamma}{dE_\gamma}\right)_{\text{ICS}}(E_\gamma, \Delta\Omega) + \left(\frac{d\Phi_\gamma}{dE_\gamma}\right)_{\text{synchrotron}}(E_\gamma, \Delta\Omega)$$

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* Prompt gamma-rays produced by annihilation of DM particles:

$$\left(\frac{d\Phi_\gamma}{dE_\gamma}\right)_{\text{prompt}}(E_\gamma, \Delta\Omega) = \frac{\langle\sigma v\rangle}{2m_\chi^2} \sum_i \frac{dN_\gamma^i}{dE_\gamma} \text{BR}_i \frac{1}{4\pi} \int_{\Delta\Omega} d\Omega \int_{\text{los}} \rho(r(s, \Omega))^2 ds$$

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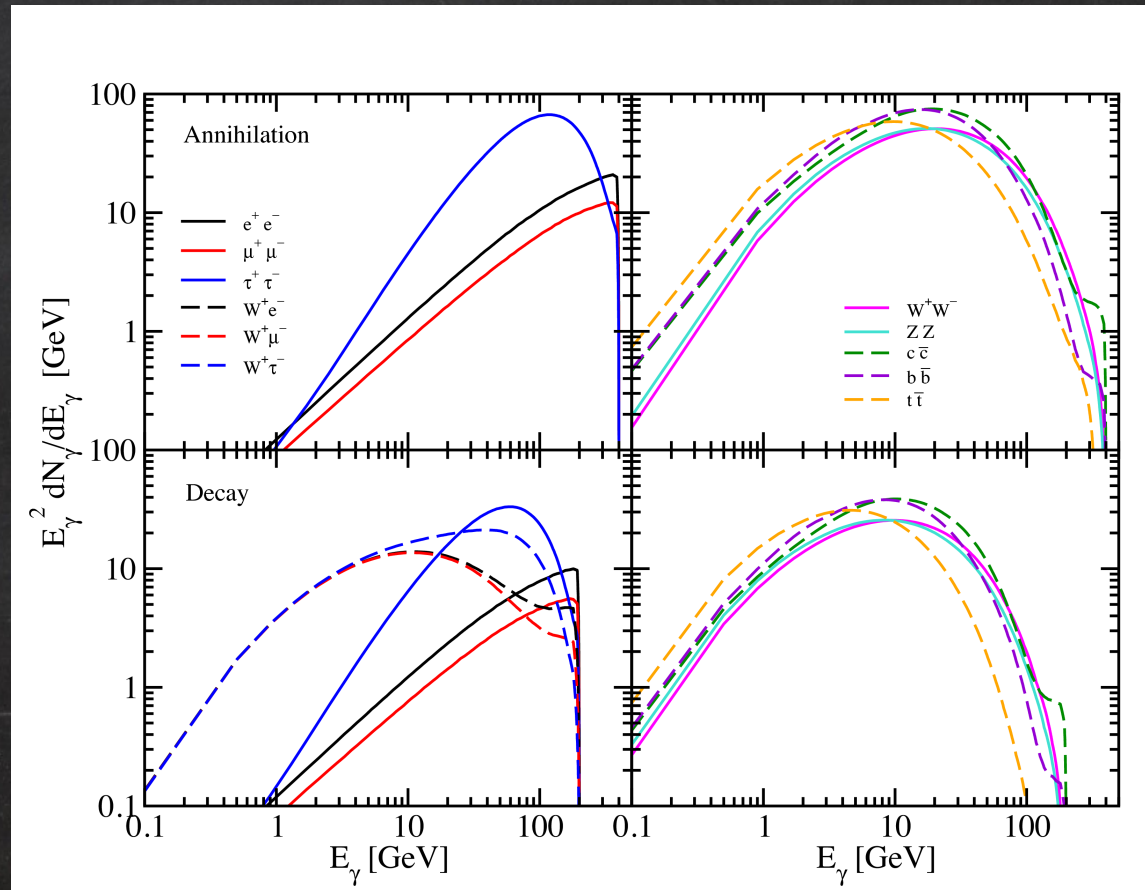
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Particle P.

Gamma-ray spectra from DM annihilation

We assume DM annihilates into 2 SM particles and use Pythia. Here only prompt photons are shown

**Hard
channels**



**Soft
channels**

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Astro and Cosmo

DM halo profiles

From N-body simulations

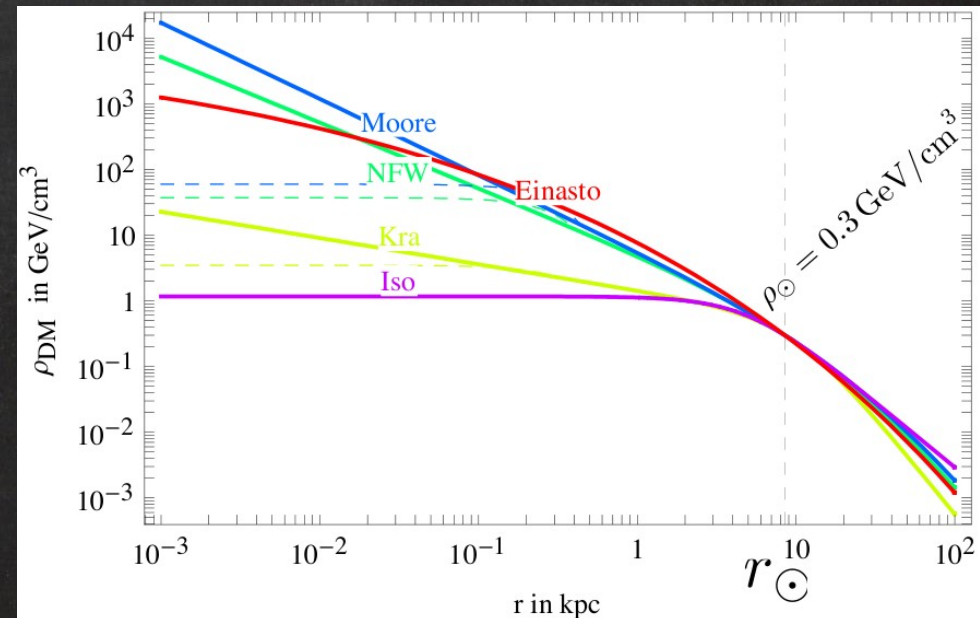
$$\rho(r) = \rho_{\odot} \frac{[1 + (R_{\odot}/r_s)^{\alpha}]^{(\beta-\gamma)/\alpha}}{(r/R_{\odot})^{\gamma} [1 + (r/r_s)^{\alpha}]^{(\beta-\gamma)/\alpha}}$$

At small r : $\rho(r) = 1/r^{\gamma}$

$$\rho(r) = \rho_s \cdot \exp \left[-\frac{2}{\alpha} \left(\left(\frac{r}{r_s} \right)^{\alpha} - 1 \right) \right]$$

Einasto | $\alpha = 0.17$ $r_s = 20 \text{ kpc}$ $\rho_s = 0.06 \text{ GeV/cm}^3$

Halo model	α	β	γ	r_s in kpc
Cored isothermal	2	2	0	5
Navarro, Frenk, White	1	3	1	20
Moore	1	3	1.16	30



Gamma-rays: general features

The differential intensity of the gamma-ray signal

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- * Gamma-rays from Inverse Compton Scattering:
 - Electrons/Positrons could propagate in the ISM
 - Gamma-rays production via ICS off the ambient photon background

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$$\left(\frac{d\Phi_\gamma}{dE_\gamma}\right)_{\text{ICS}}(E_\gamma, \Delta\Omega) = \frac{1}{E_\gamma} \frac{1}{4\pi} \int_{\Delta\Omega} d\Omega \int_{\text{los}} ds \int_{m_e}^{m_\chi} dE \mathcal{P}(E_\gamma, E) \frac{dn_e}{dE}(E, r_c(s, \Omega), z_c(s, \Omega))$$

Differential power emitted into photon of energy E_γ
by electrons/positrons of energy E

- Superposition of 3 blackbody spectra:
SL ($T=0.3$ eV), IR ($T=3.5$ meV), CMB ($T=2.7$ K)

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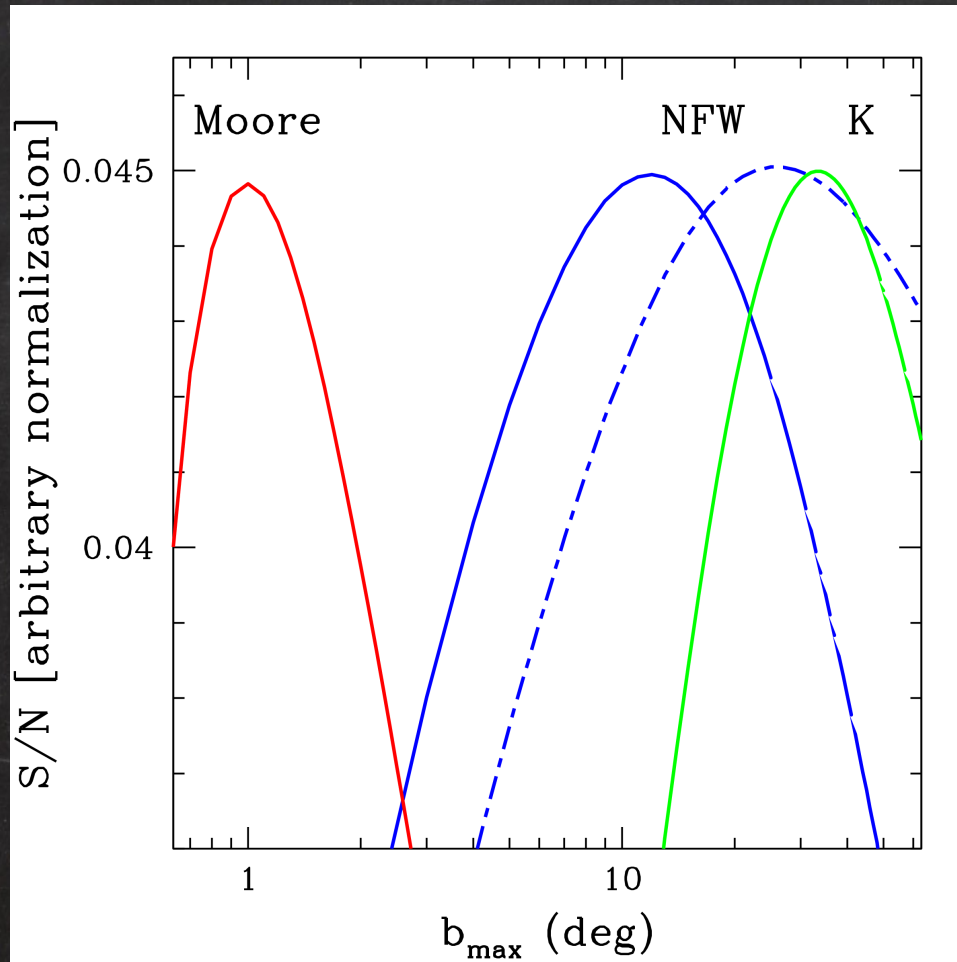
- * The gamma-ray synchrotron signal lies at radio frequencies (at least for typical WIMP DM masses) $\rightarrow$ irrelevant

Overview of the analysis

- * We consider the energy range [1, 300] GeV
- * We select an 'optimal' angular window
- * We add the ICS contribution to the DM-induced gamma-ray spectrum: crucial for some cases
- * We use Galprop + the latest Fermi measurements for the background around the GC
- * We evaluate Fermi sensitivity to DM annihilations
- * We evaluate Fermi abilities to constrain DM properties: annihilation cross section, mass and dominant annihilation channels

Optimal angular window

Significance of the signal: S/N

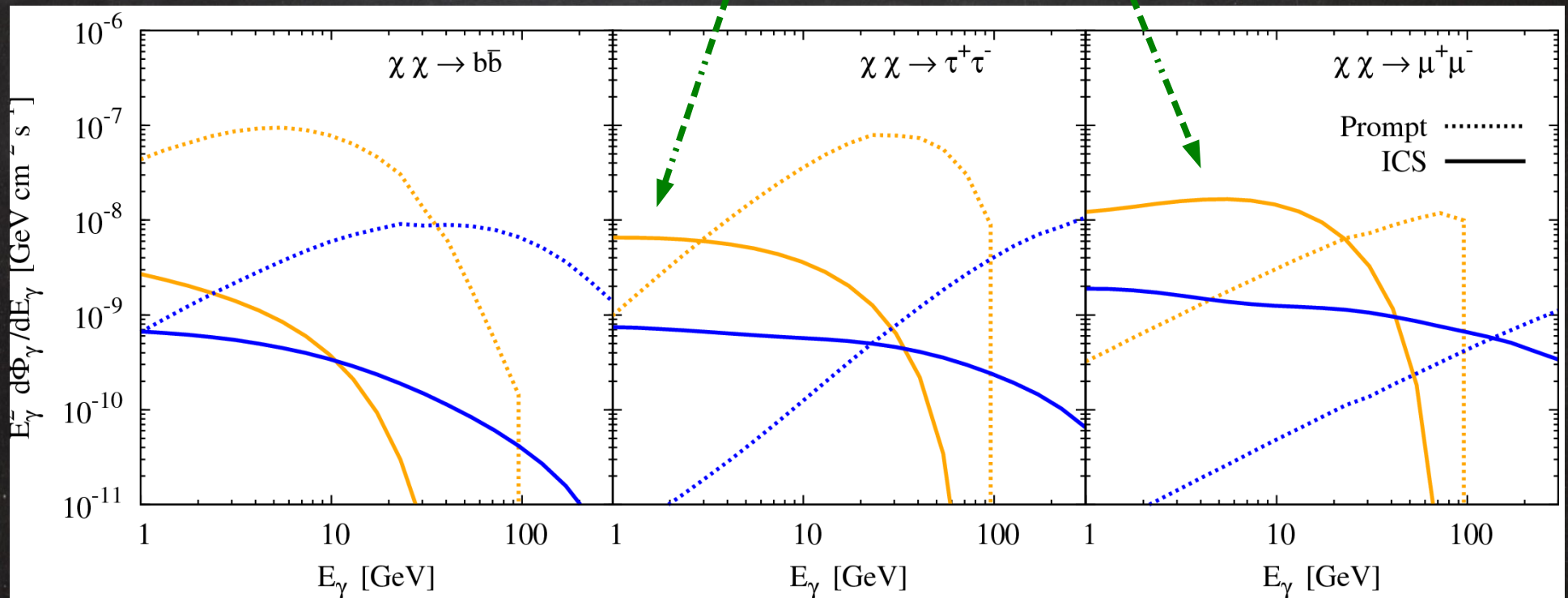


Our selection:
10 degrees

PD Serpico and G Zaharijas
Astropart. Phys. Rev. D 69 (2004)

Gamma-ray spectra from DM annihilation

Important contribution from ICS at low energies!

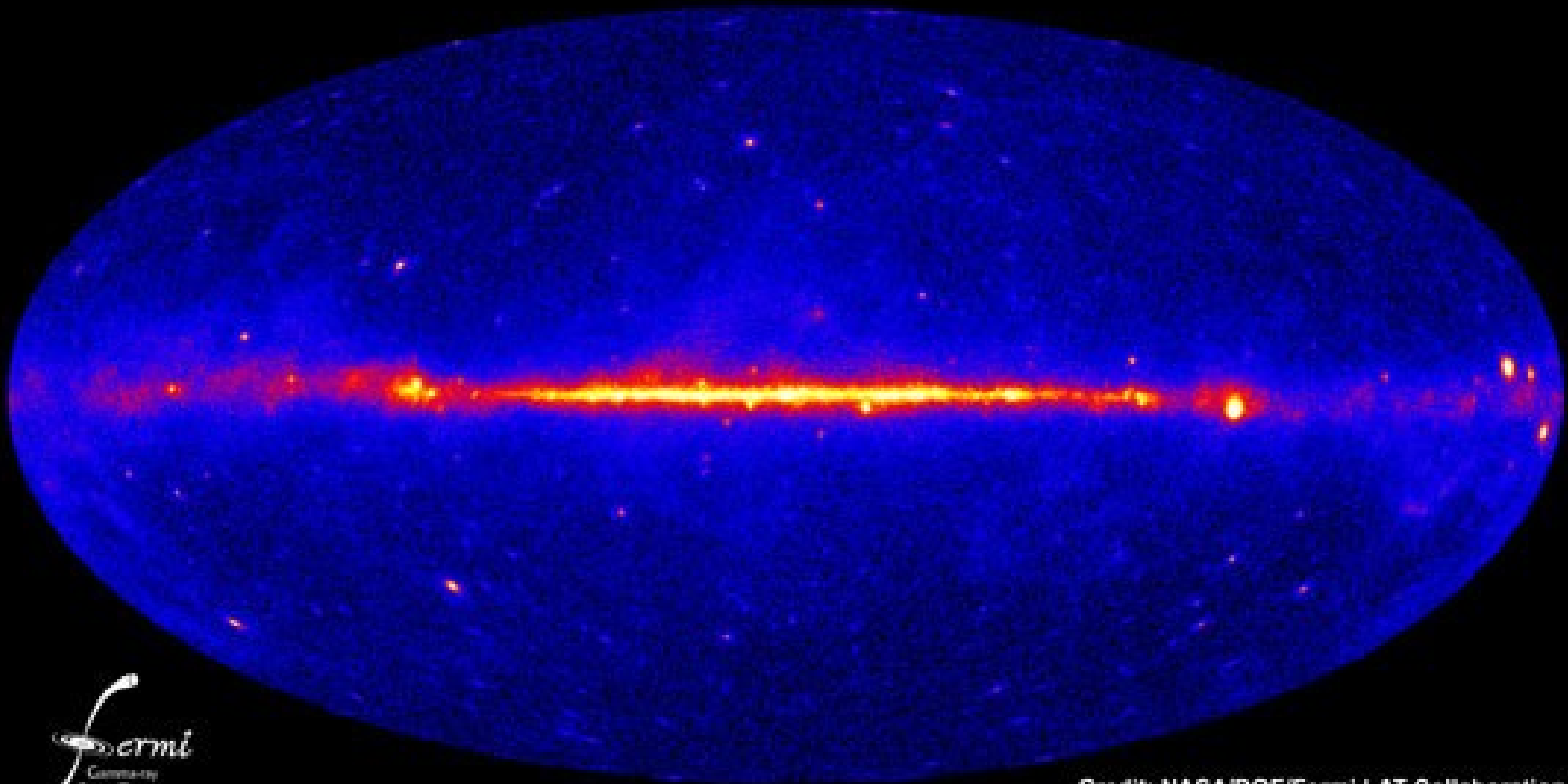


NB and S Palomares-Ruiz arXiv:1006.0477

$\langle\sigma v\rangle = 3 \times 10^{-26} \text{ cm}^3 / \text{s}$ and NFW profile

Fermi-LAT sky map

NASA's Fermi telescope reveals best-ever view of the gamma-ray sky

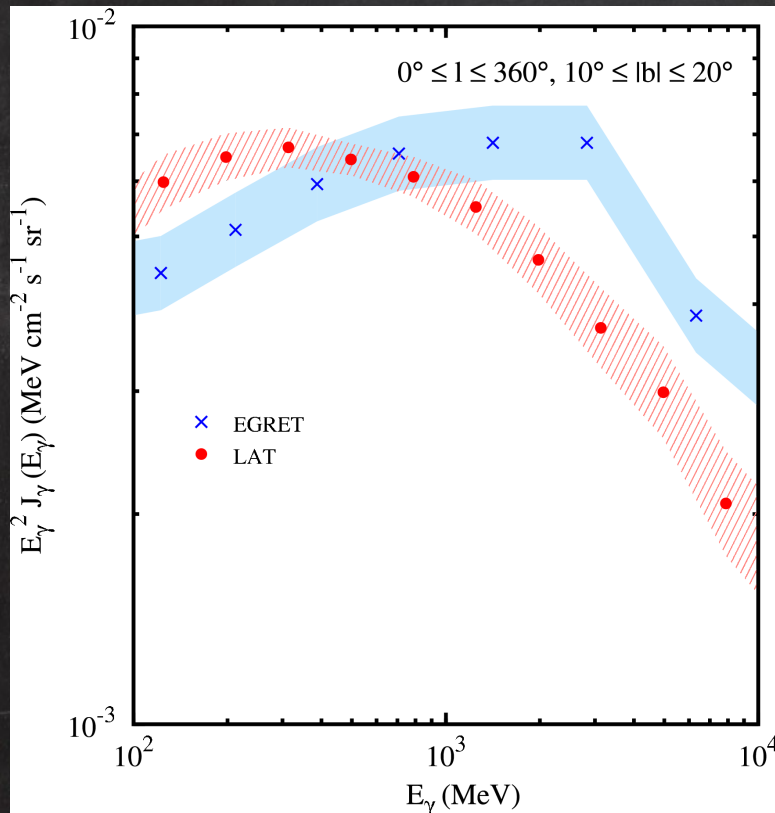


Fermi
Gamma-ray
Space Telescope

Credit: NASA/DOE/Fermi LAT Collaboration

AA Abdo [Fermi-LAT collaboration], *Astrophys. J. Supp.* 188:405, 2010

Galactic backgrounds: diffuse emission



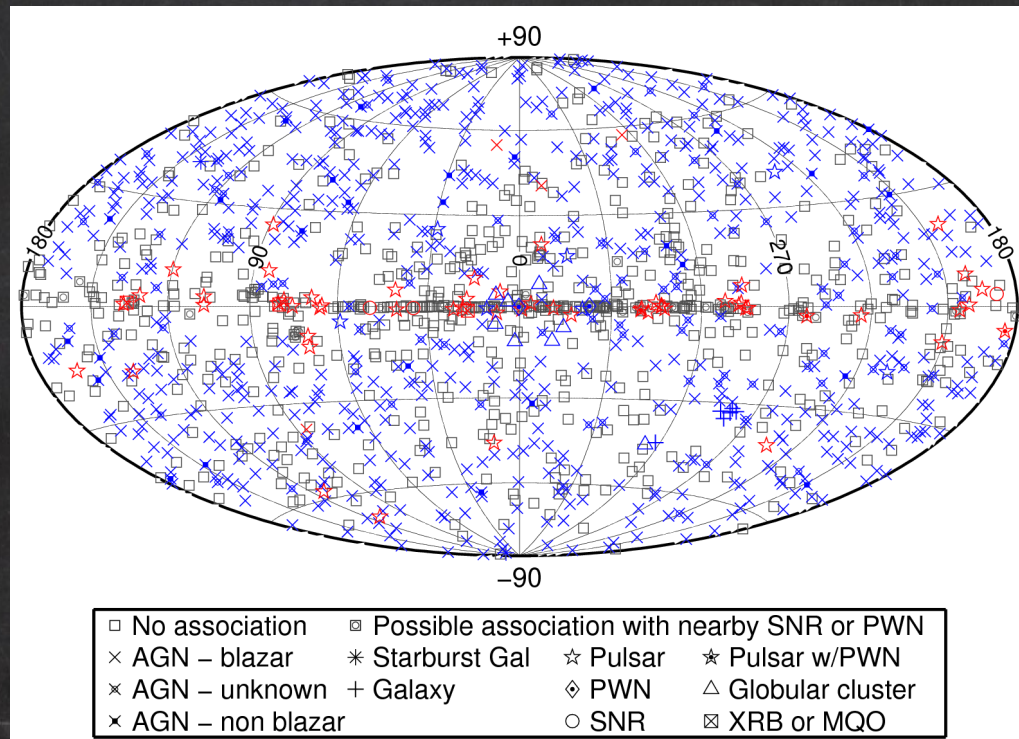
GALPROP v54: 'conventional' model

- Pions decay
- Bremsstrahlung
- Inverse Compton scattering of CR

AA Abdo [Fermi-LAT Collaboration]
Phys. Rev. Lett. 103, 251101, 2009

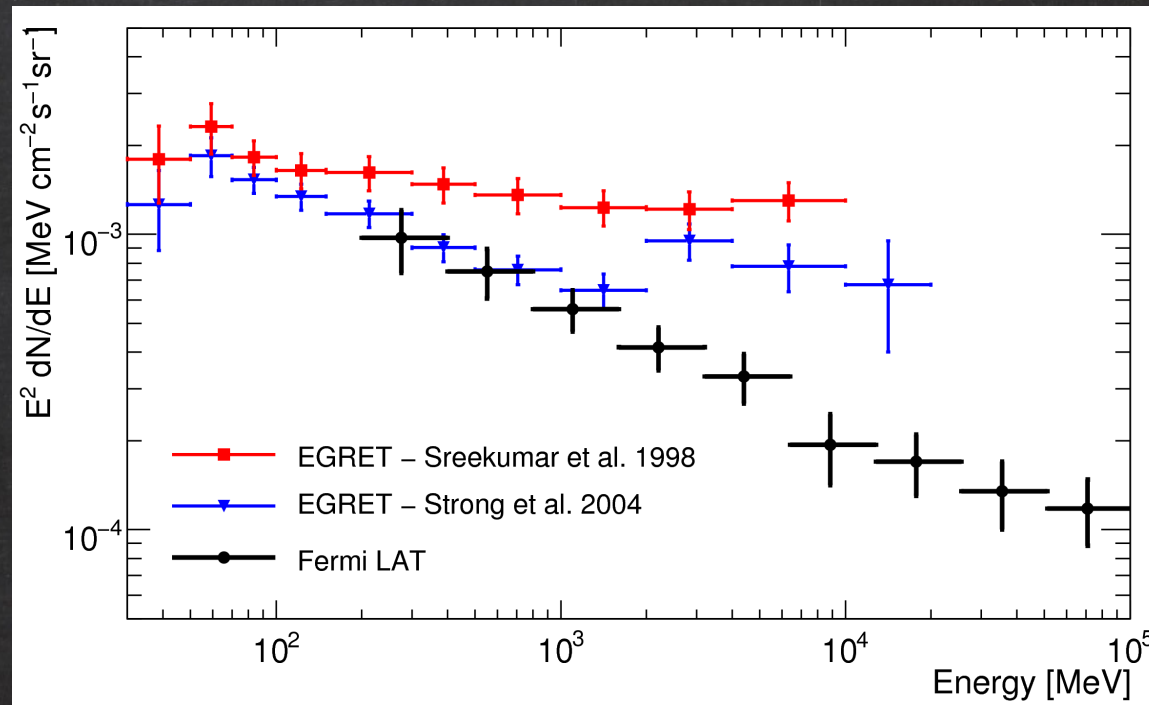
Galactic backgrounds: point sources

1451 point sources resolved at $> 4 \sigma$



AA Abdo [Fermi-LAT Collaboration], *Astrophys. J. supp.* 188:405, 2010

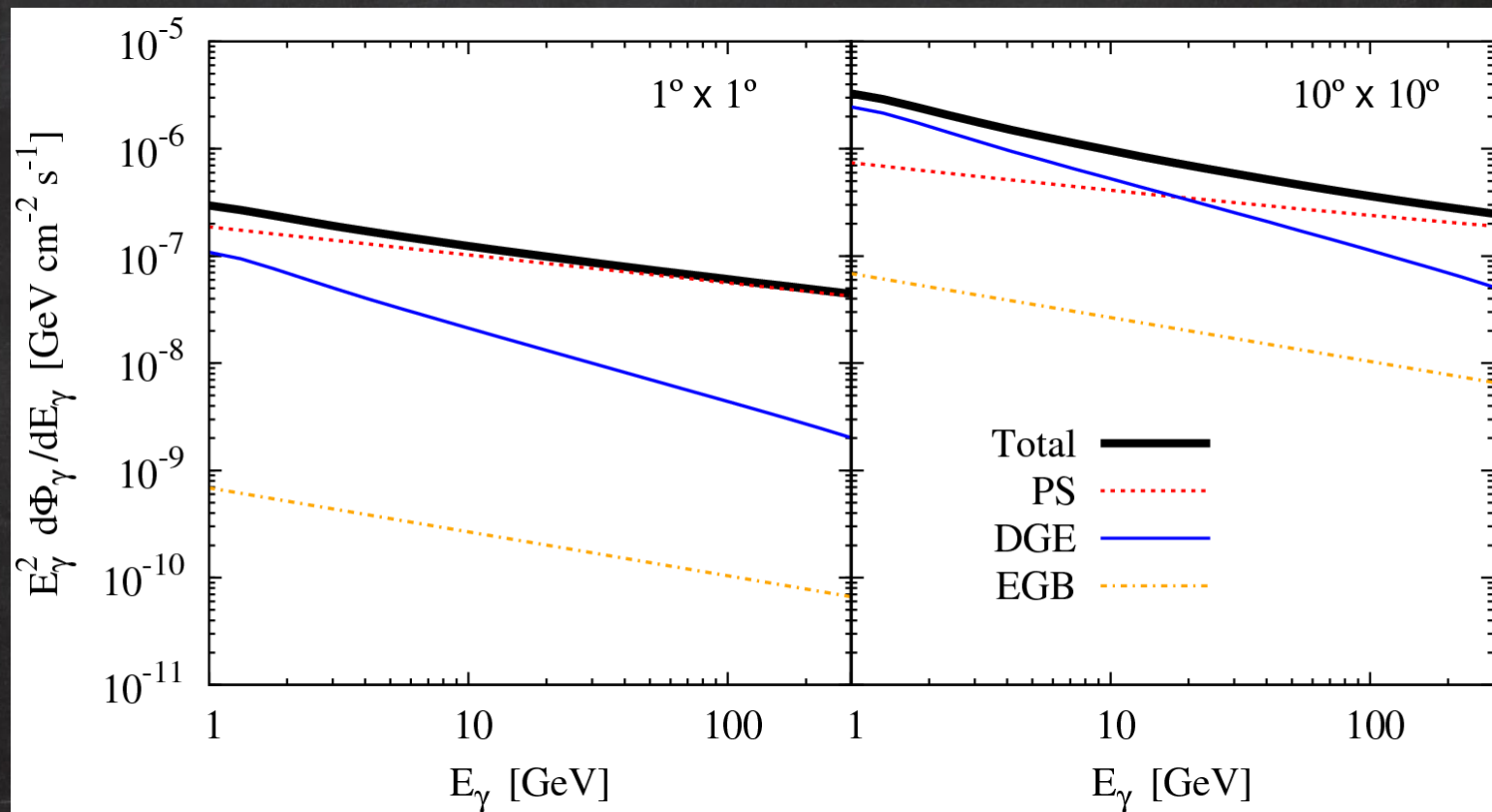
Galactic backgrounds: isotropic backg.



AA Abdo [Fermi-LAT Collaboration], Phys. Rev. Lett. 104,101101, 2010

$$\left(\frac{d\Phi}{dE_\gamma}\right)_{\text{IGRB}}(E_\gamma) = 5.65 \cdot 10^{-7} \cdot \left(\frac{E_\gamma}{\text{GeV}}\right)^{-2.41} \text{ GeV}^{-1} \text{ cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$$

Galactic backgrounds



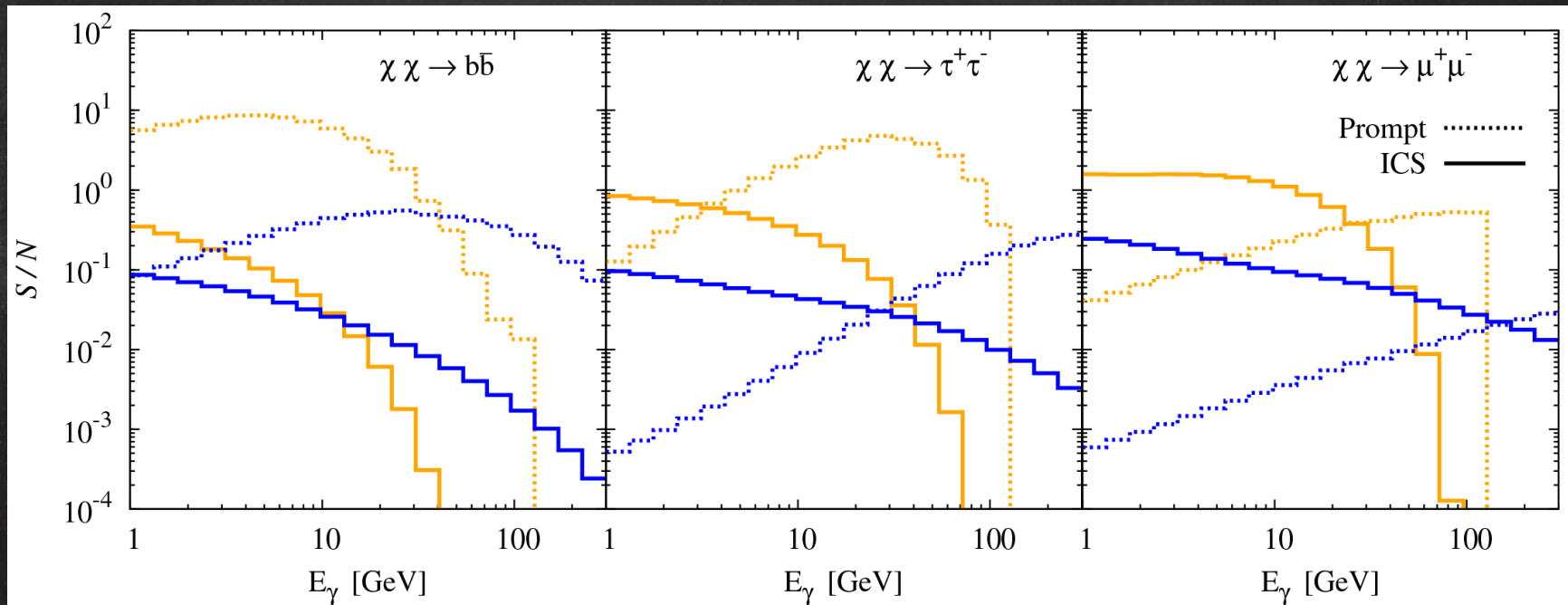
NB and S Palomares-Ruiz, arXiv:1006.0477

Significance of the signal: S/N

Prompt: dominant

Prompt: dominant high E
ICS: dominant low E

ICS: dominant



NB and S Palomares-Ruiz, arXiv:1006.0477

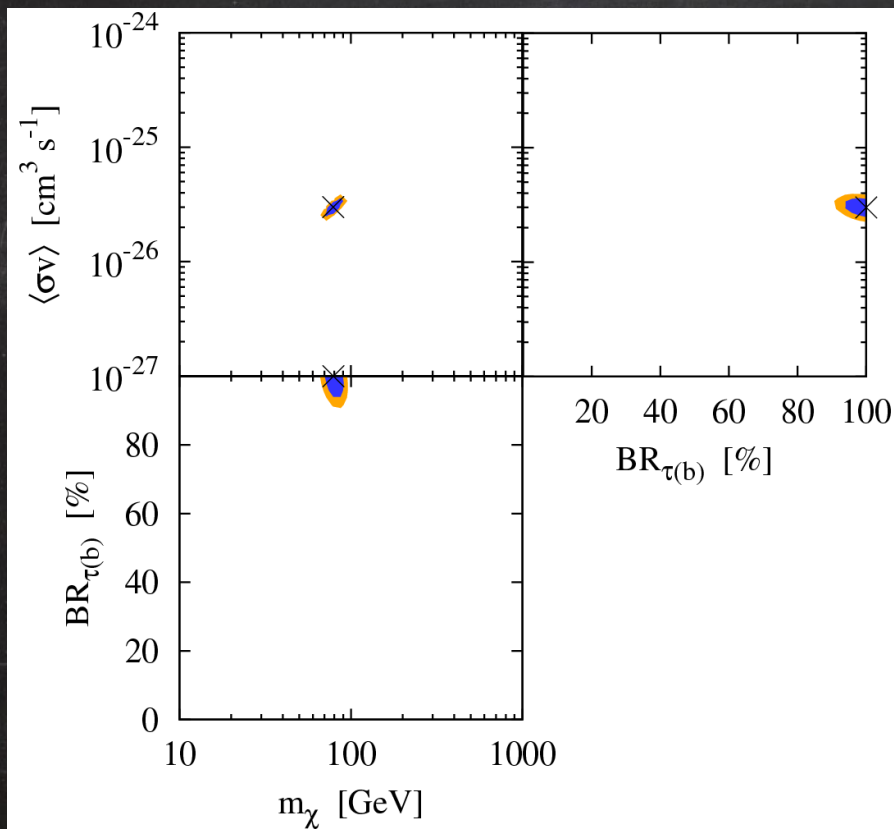
$\langle\sigma v\rangle = 3 \times 10^{-26} \text{ cm}^3 / \text{s}$ and NFW profile

Constraining DM properties: default setup

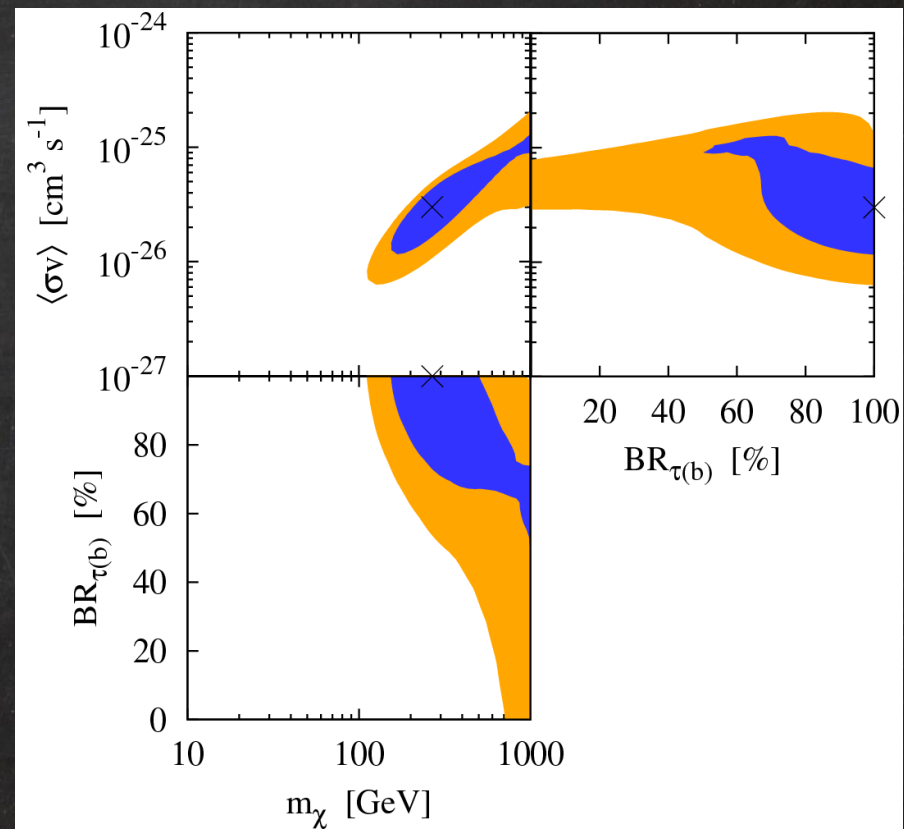
- * $10^9 \times 10^9$
- * DM profile: NFW
- * $\langle \sigma v \rangle = 3 \times 10^{-26} \text{ cm}^3 / \text{s}$
- * Propagation model: MED
- * “Real data”: $\tau^+ \tau^-$ pairs
- * Signal reconstructed with $\tau^+ \tau^-$ and $b\bar{b}$ pairs
- * Fixed background
- * 5 years of data taking

Default setup

$m_\chi = 80 \text{ GeV}$



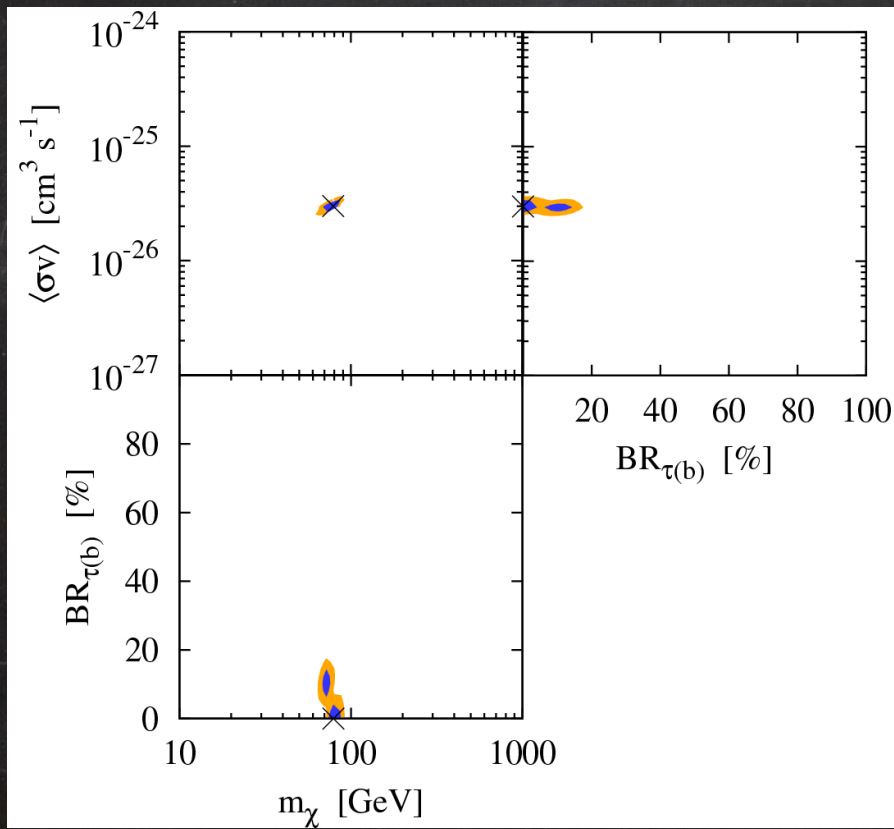
$m_\chi = 270 \text{ GeV}$



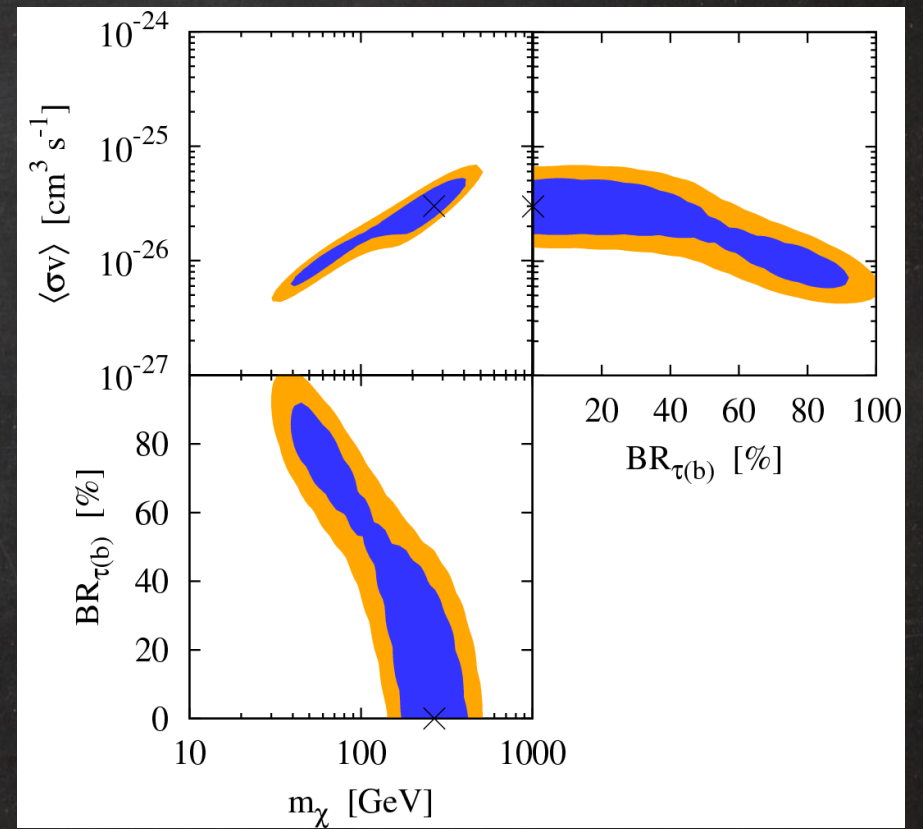
NB and S Palomares-Ruiz, arXiv:1006.0477

Data: bb

$m_\chi = 80 \text{ GeV}$



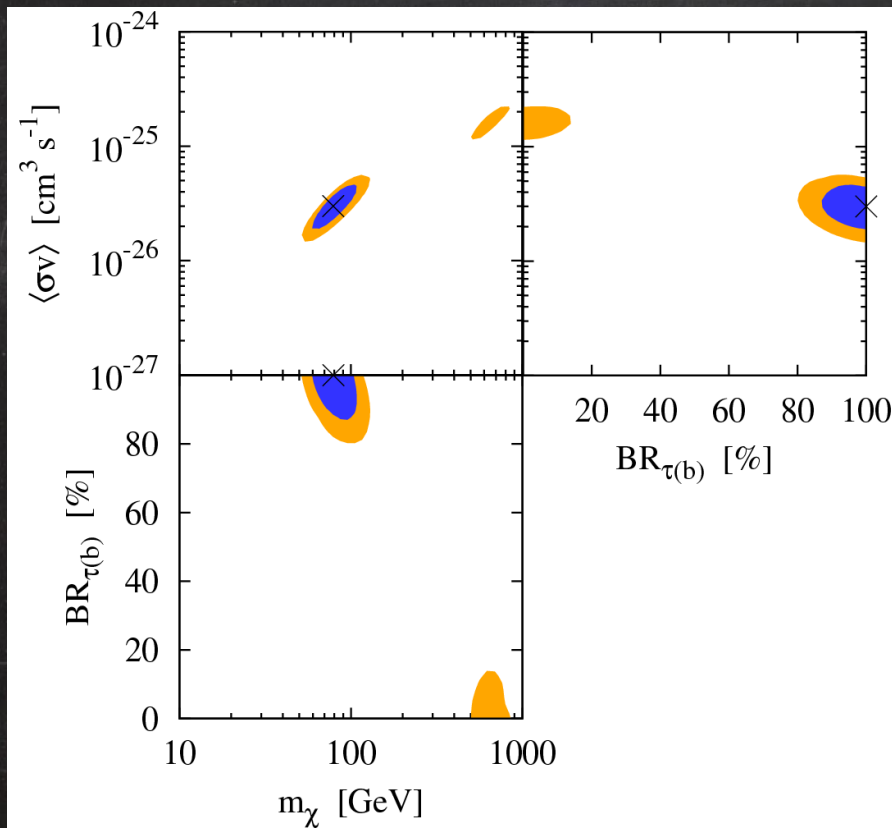
$m_\chi = 270 \text{ GeV}$



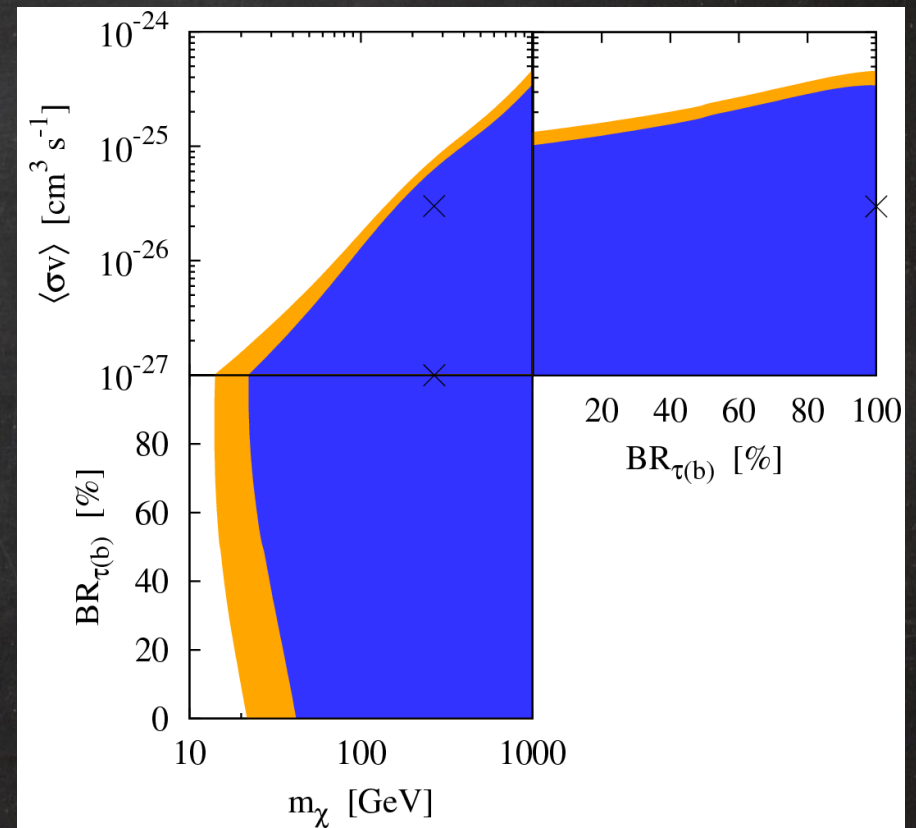
NB and S Palomares-Ruiz, arXiv:1006.0477

Observational region: $1^\circ \times 1^\circ$ around the GC

$m_\chi = 80 \text{ GeV}$



$m_\chi = 270 \text{ GeV}$

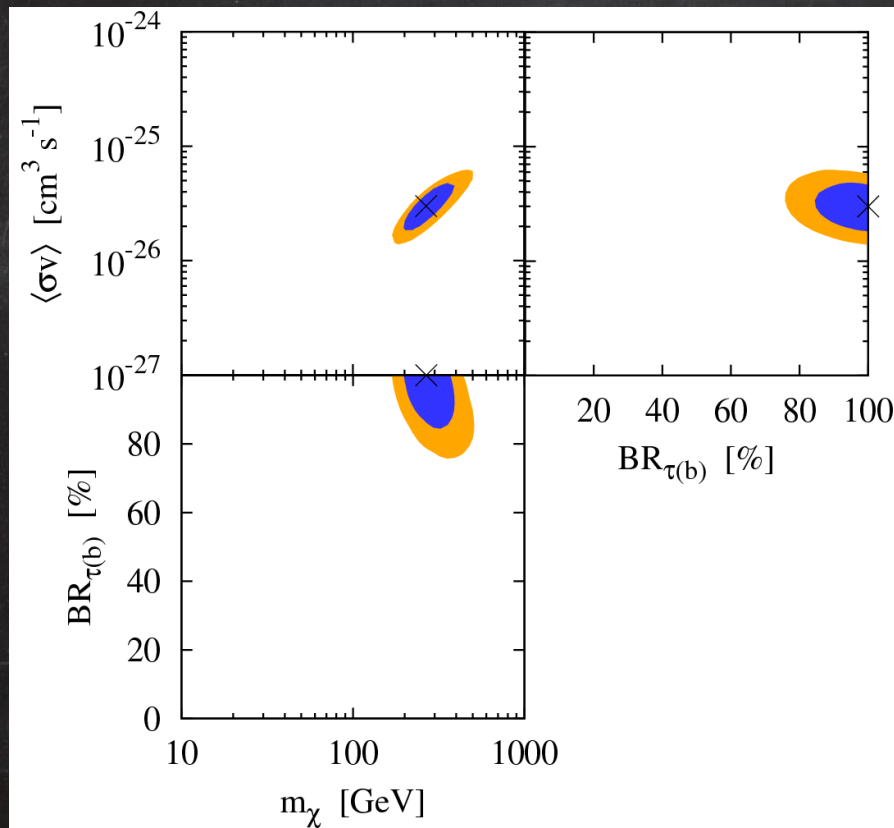


NB and S Palomares-Ruiz, arXiv:1006.0477

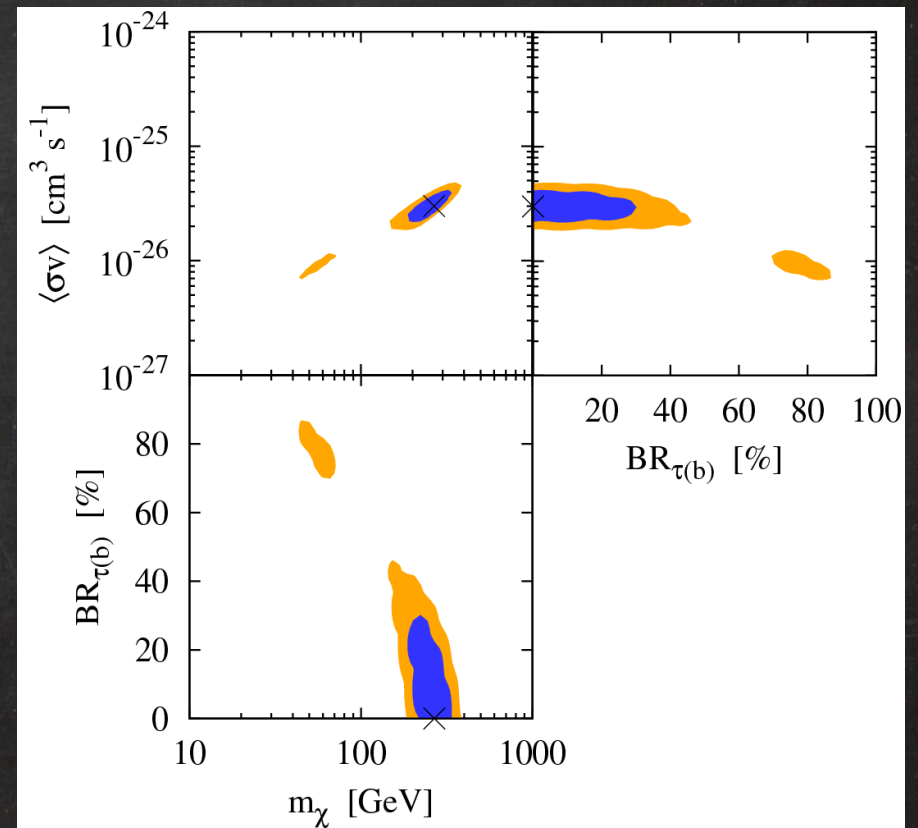
Einasto DM profile

$m = 270 \text{ GeV}$

Data: $\tau^+ \tau^-$



Data: $b\bar{b}$

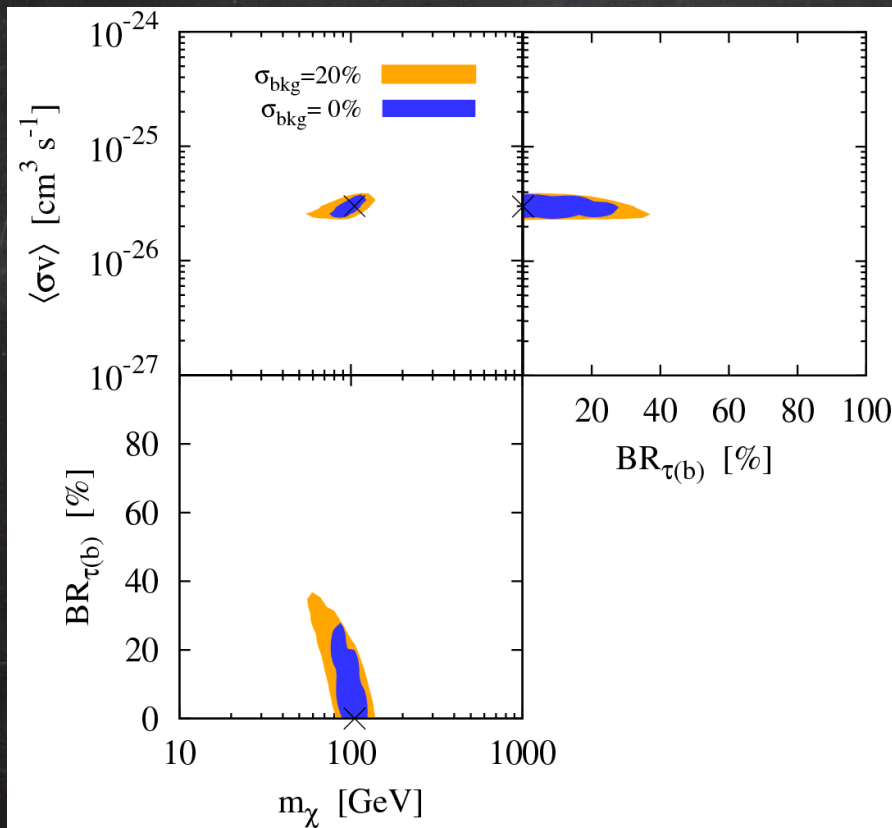


NB and S Palomares-Ruiz, arXiv:1006.0477

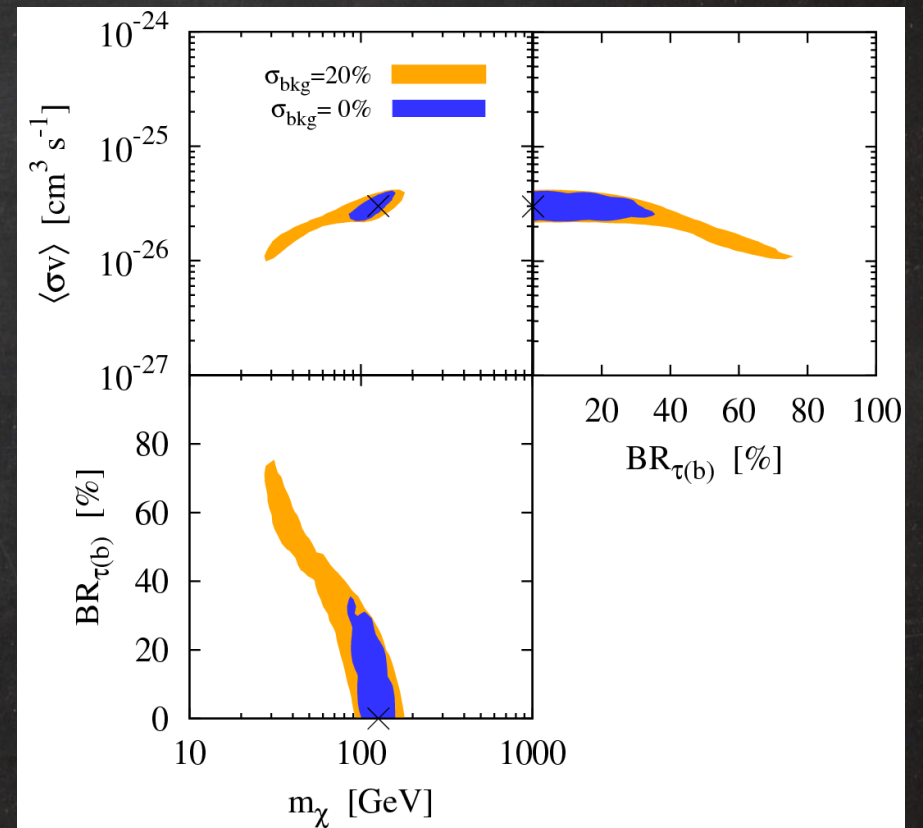
Data: bb

Error background: 20%

$m_\chi = 105 \text{ GeV}$



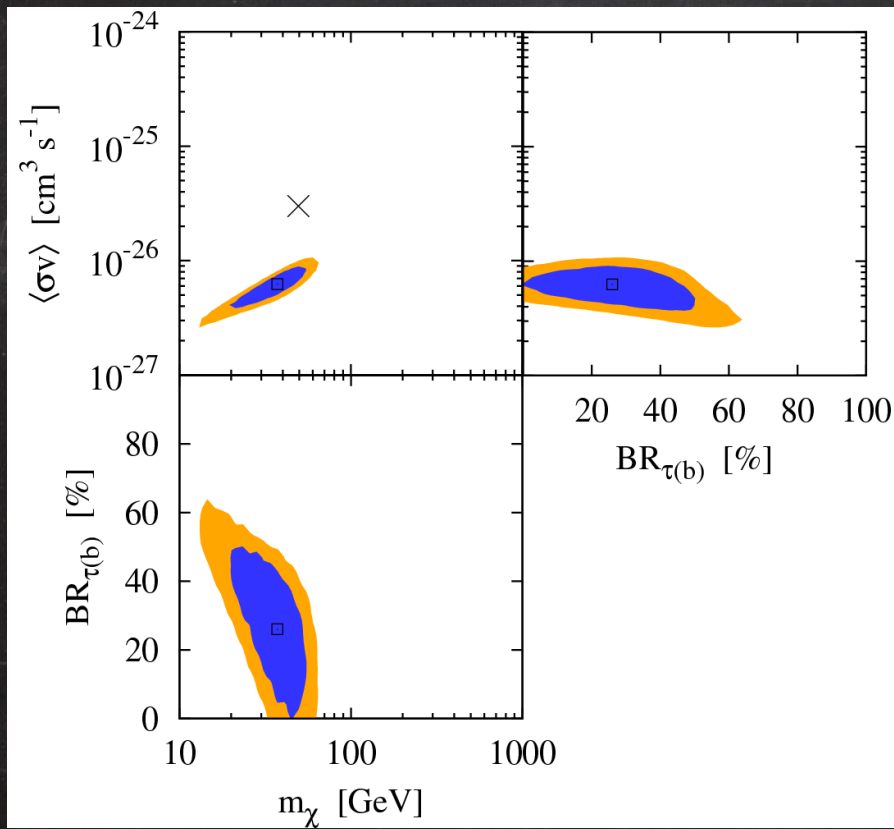
$m_\chi = 125 \text{ GeV}$



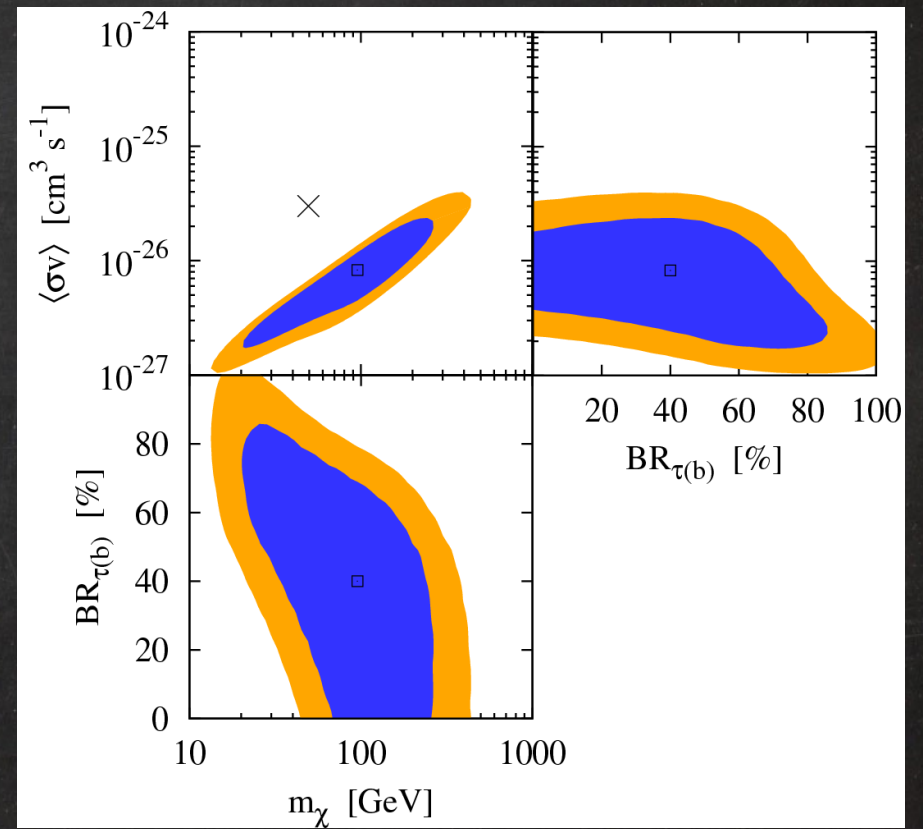
NB and S Palomares-Ruiz, arXiv:1006.0477

Data: $\mu^+ \mu^-$

$m_\chi = 50 \text{ GeV}$



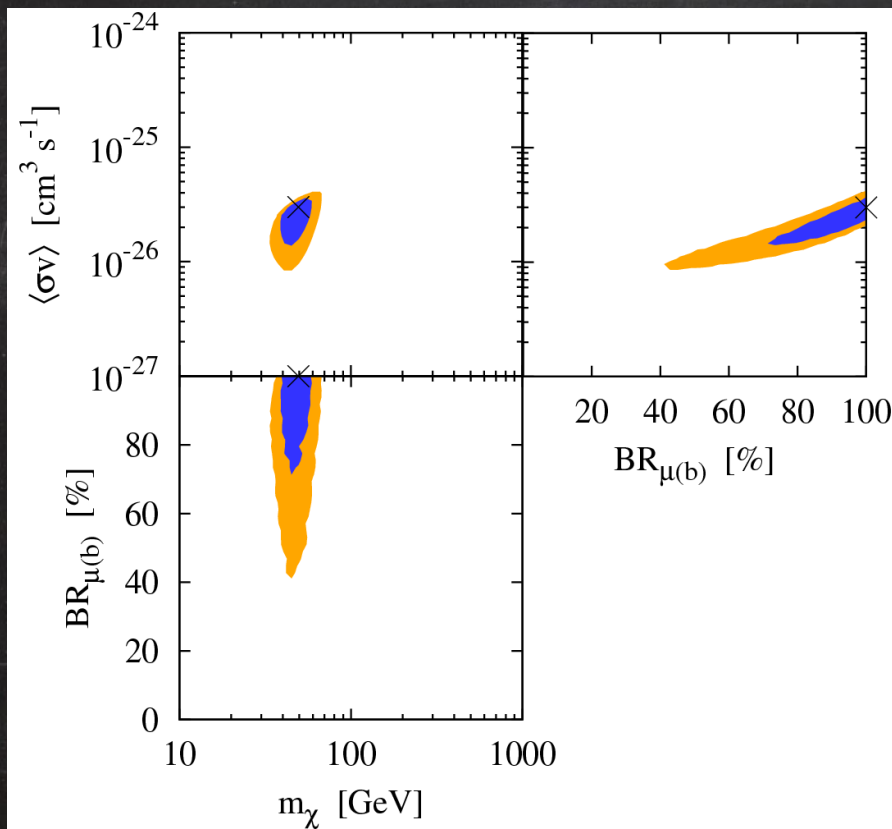
$m_\chi = 105 \text{ GeV}$



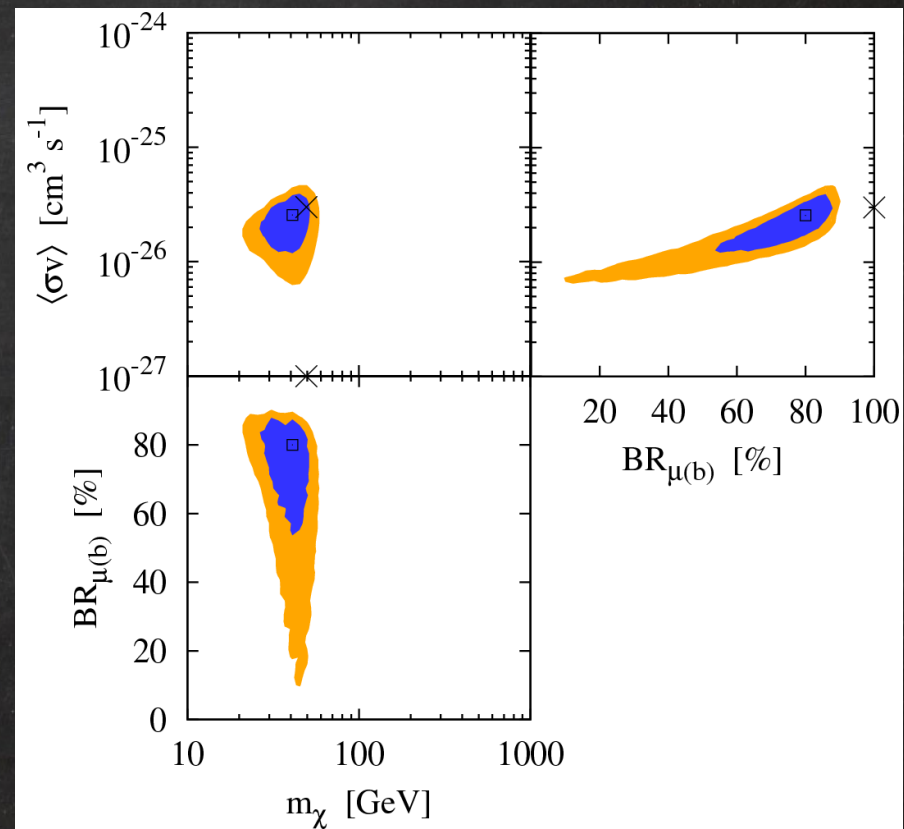
NB and S Palomares-Ruiz, arXiv:1006.0477

Data: $\mu^+ \mu^-$ Simulated: $\mu^+ \mu^- / b\bar{b}$
 $m = 50 \text{ GeV}$

Reconstruction with ICS



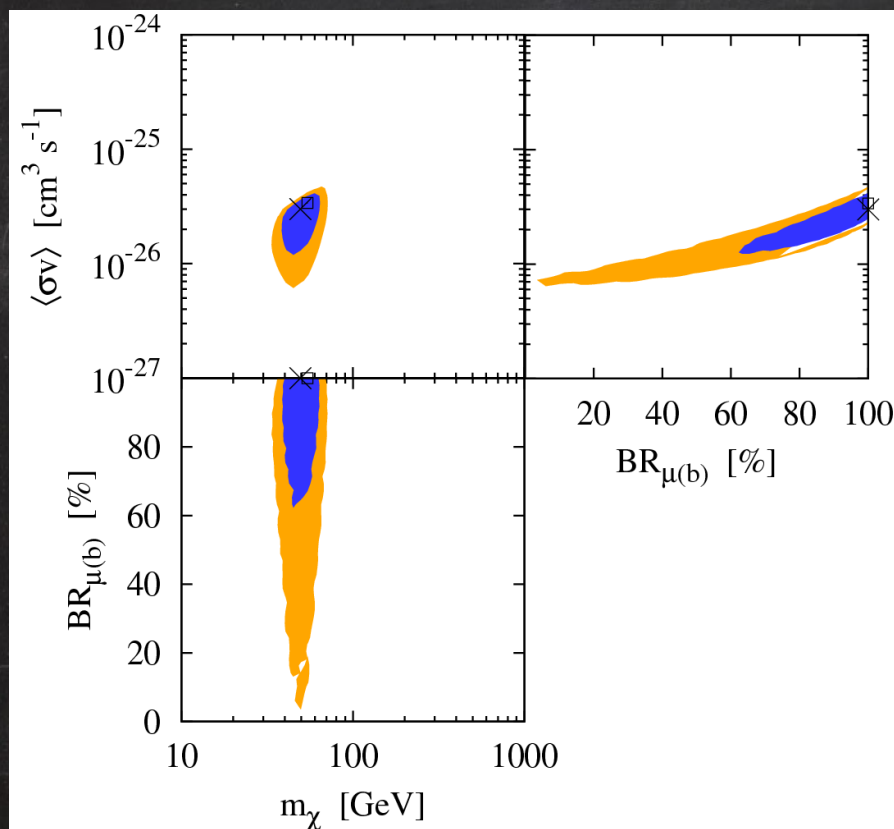
Reconstruction without ICS



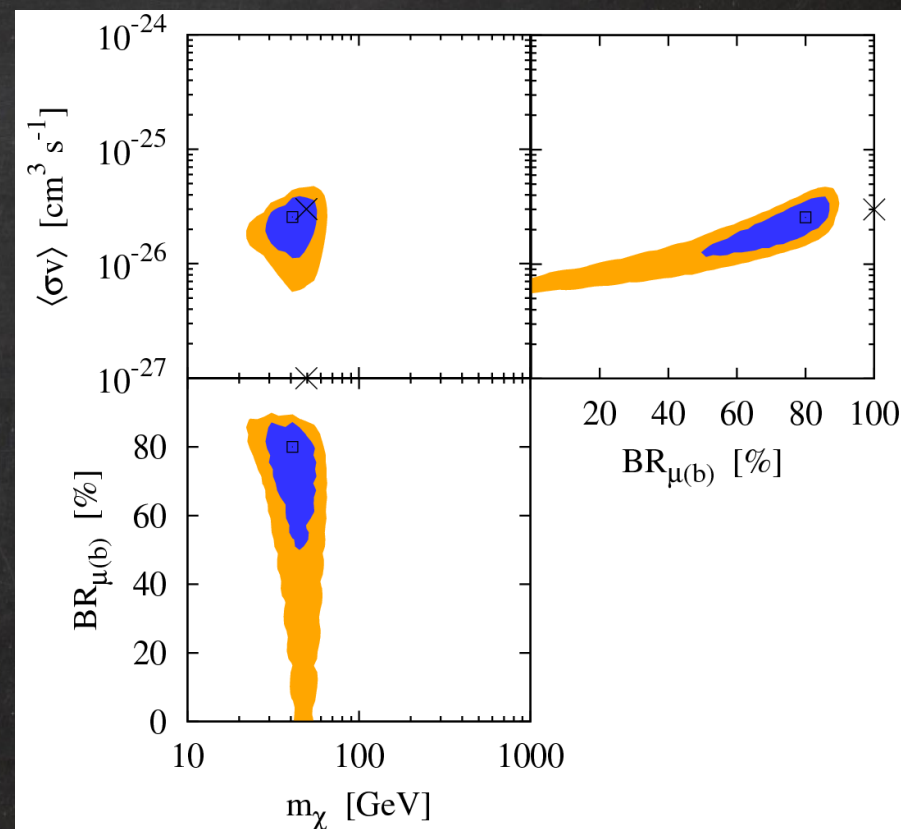
NB and S Palomares-Ruiz, arXiv:1006.0477

Data: $\mu^+\mu^-$; MIN Simulated: $\mu^+\mu^-/bb$; MAX $m = 50 \text{ GeV}$

Reconstruction with ICS



Reconstruction without ICS



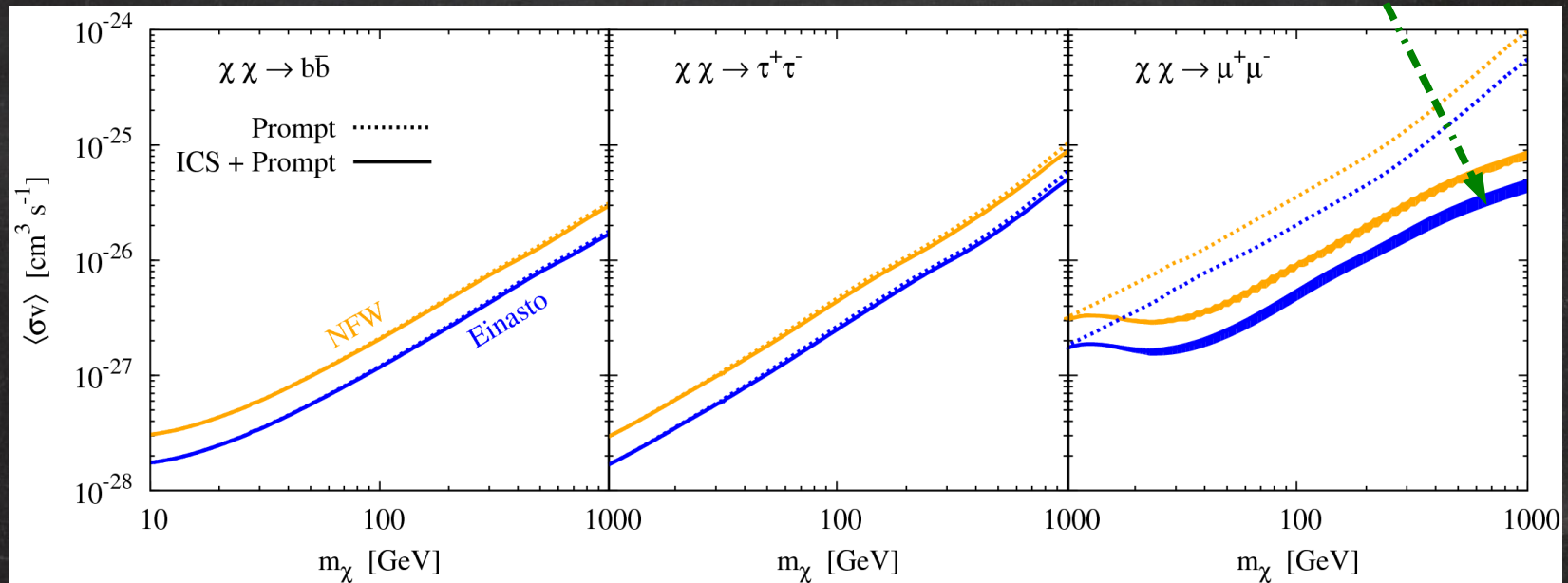
NB and S Palomares-Ruiz, arXiv:1006.0477

Conclusions

- * We have studied the abilities of Fermi-LAT, by using current and future observation of gamma-rays from the GC, to constrain some DM properties as annihilation cross section, mass and branching ratio into dominant annihilation channels
- * We have included the ICS contribution to the signal spectra, which for some cases turns out to be crucial to get the correct results
- * We have used the latest Fermi measurements to simulate the galactic backgrounds
- * We have evaluated the sensitivity to DM annihilations: after 5 years and for annihilations into hadronic channels, Fermi sensitivity is below the benchmark value for the annihilation cross section for thermal dark matter for $m_\chi < 1 \text{ TeV}$
- * We have also studied the dependence on different uncertainties and assumptions

Fermi-LAT sensitivity to DM annihilations

Uncertainty on the
propagation model

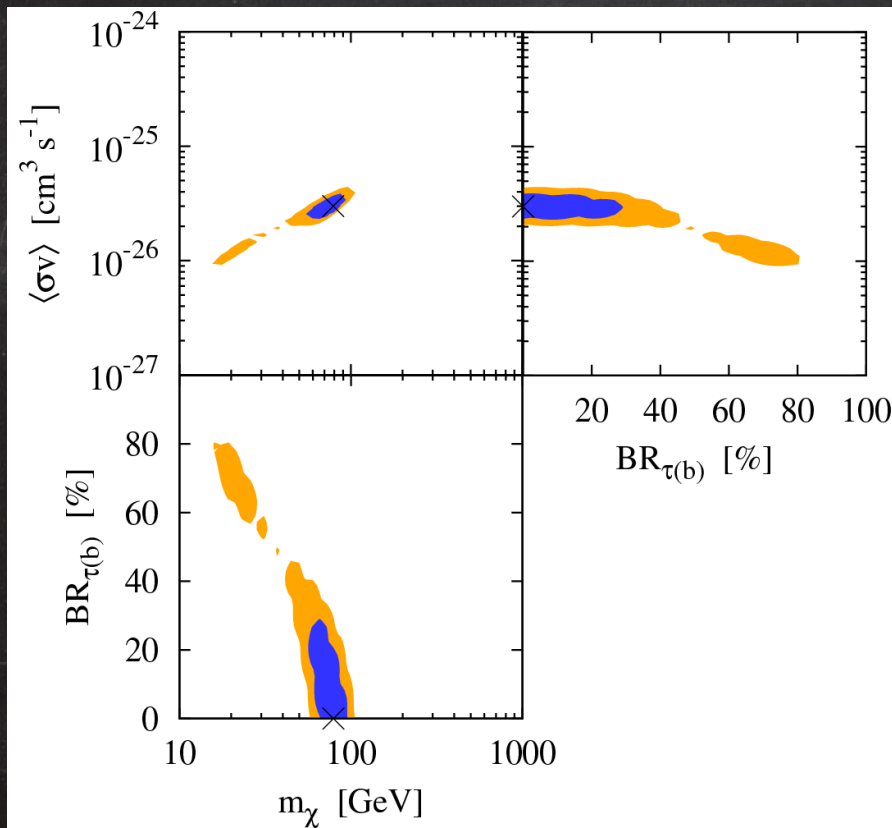


NB and S Palomares-Ruiz, arXiv:1006.0477

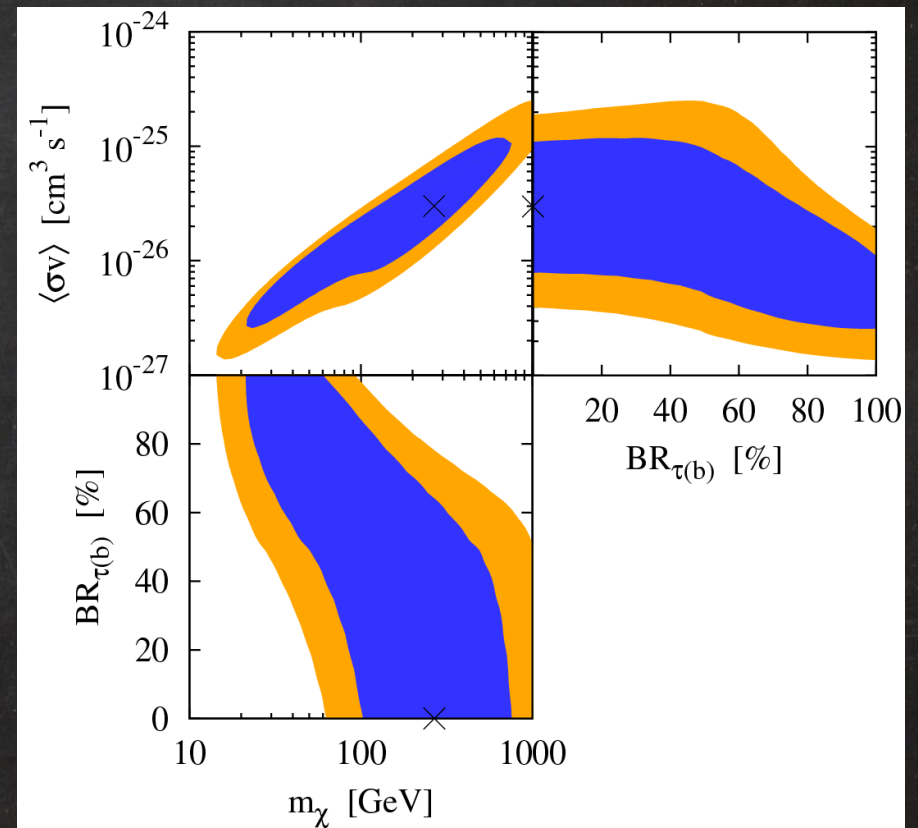
Observational region: 1° around the GC

Data: bb

$m_\chi = 80 \text{ GeV}$



$m_\chi = 270 \text{ GeV}$



NB and S Palomares-Ruiz, arXiv:1006.0477

Electron/Positron propagation in the halo

Three commonly used propagation models corresponding to the minimal, maximal and median primary *positron fluxes* that are compatible with the B/C data

	L [kpc]	K_0 [kpc ² /Myr]	α
MIN	1	0.00595	0.55
MED	4	0.0112	0.70
MAX	15	0.0765	0.46

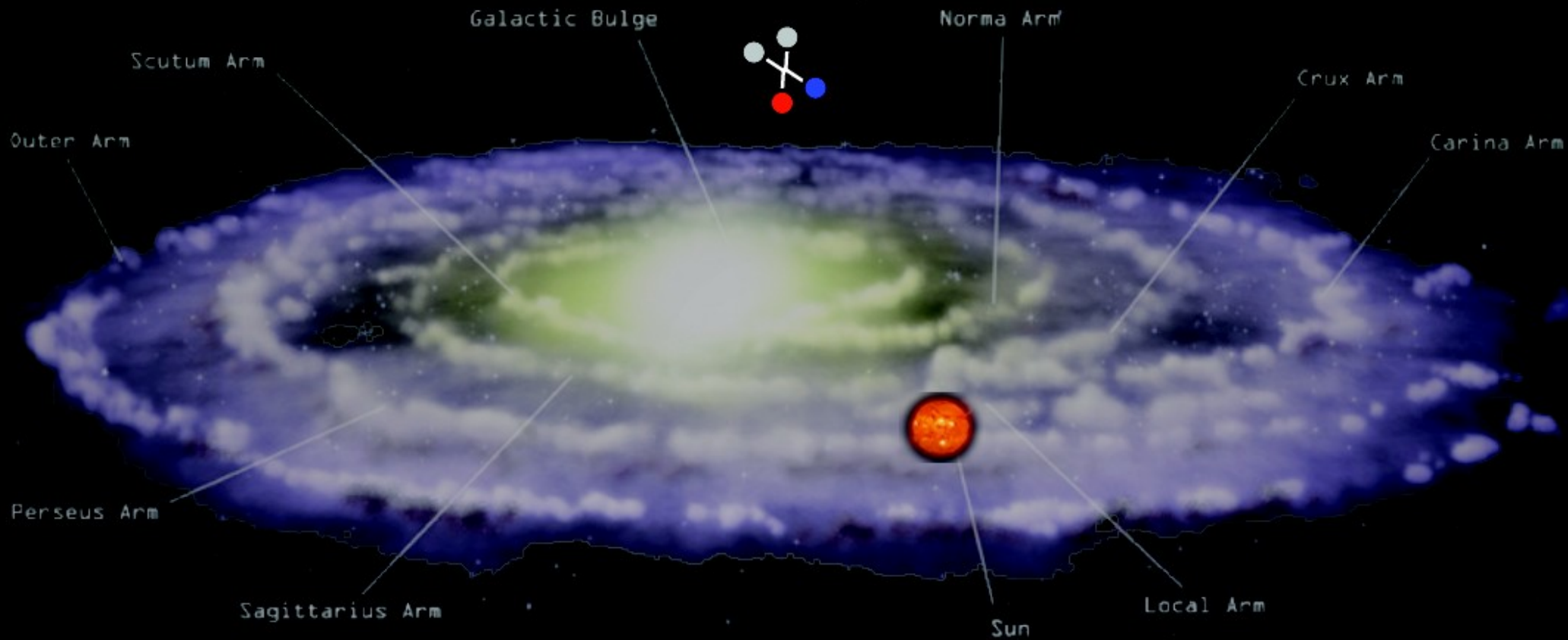
$$\nabla \left(K(\vec{x}, E) \nabla \frac{dn_e}{dE}(\vec{x}, E) \right) + \frac{\partial}{\partial E} \left(b(\vec{x}, E) \frac{dn_e}{dE}(\vec{x}, E) \right) + Q(\vec{x}, E) = 0$$

diffusion

energy loss

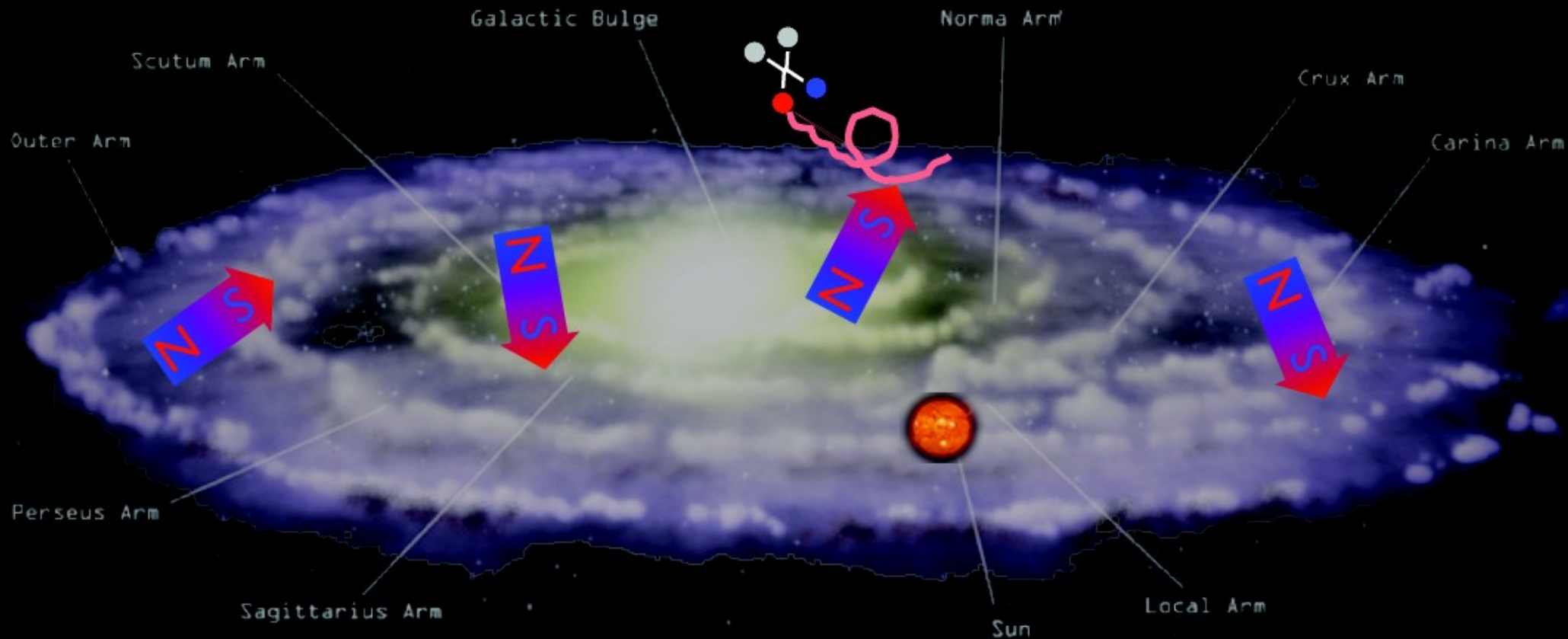
source

Electron/Positron propagation in the halo



Credit: M. Cirelli

Electron/Positron propagation in the halo

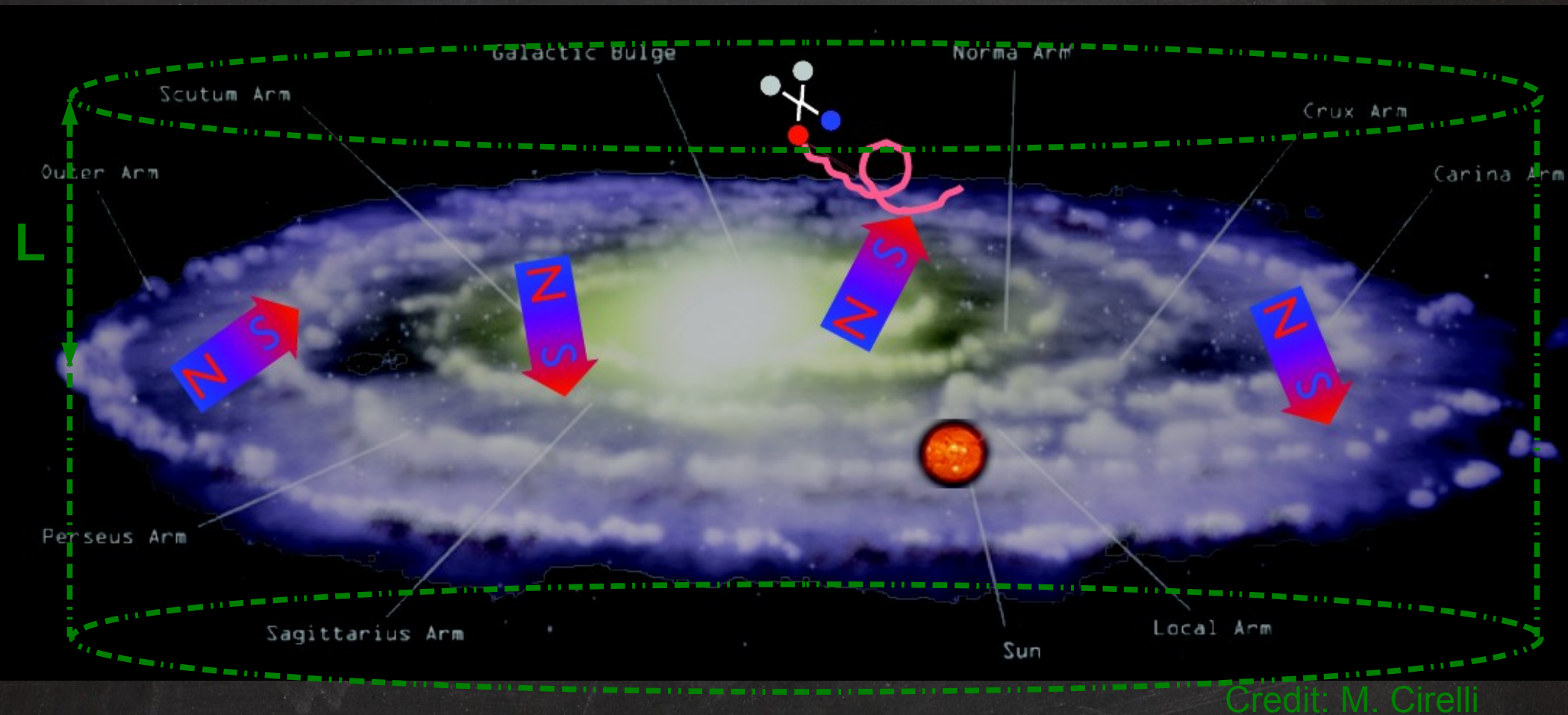


Credit: M. Cirelli

A plethora of tangled magnet fields, particles can jump to nearby field lines which will drastically alter their courses

→ Random walk

Electron/Positron propagation in the halo



$$\nabla \left(K(\vec{x}, E) \nabla \frac{dn_e}{dE}(\vec{x}, E) \right) + \frac{\partial}{\partial E} \left(b(\vec{x}, E) \frac{dn_e}{dE}(\vec{x}, E) \right) + Q(\vec{x}, E) = 0$$

diffusion

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$$\frac{dn_{e^\pm}}{dE}(r_c, z_c, E) = \frac{\beta \langle \sigma v \rangle}{2} \left(\frac{\rho(r_c, z_c)}{m_\chi} \right)^2 \frac{E_0 \tau_E}{E^2} \sum_i \text{BR}_i \int_E^{m_\chi} \frac{dN_{e^\pm}^i}{dE_s}(E_s) \tilde{I}(\lambda_D, r_c, z_c) dE_s$$

$\tilde{I}$: all the dependence on the Astro and independent on Particle P.

$$\tilde{I}(\lambda_D, r_c, z_c) = \sum_{i,n=1}^{\infty} J_0 \left(\frac{\alpha_i r_c}{R_{\text{gal}}} \right) \varphi_n(z_c) \exp \left[- \left\{ \left(\frac{n\pi}{2L} \right)^2 + \frac{\alpha_i^2}{R_{\text{gal}}^2} \right\} \frac{\lambda_D^2}{4} \right] R_{i,n}(r_c, z_c)$$

Diffusion length: $\lambda_D^2(\epsilon, \epsilon_s) = 4 K_0 \tau_E \left(\frac{(E/E_0)^{\alpha-1} - (E_s/E_0)^{\alpha-1}}{1 - \alpha} \right)$

Baltz & Edsjö Phys. Rev. D59 (1998)

Delahaye, Lineros, Donato & Fornengo Phys Rev. D77 (2008)

$$\nabla \left(K(\vec{x}, E) \nabla \frac{dn_e}{dE}(\vec{x}, E) \right) + \frac{\partial}{\partial E} \left(b(\vec{x}, E) \frac{dn_e}{dE}(\vec{x}, E) \right) + Q(\vec{x}, E) = 0$$

diffusion

energy loss

source